

# Application of Hybrid-Ihacres models for water availability in Siak River

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**Abstract.** Watershed management with potential water resources greater than or equal to 20% of the potential of water resources in the province requires a device capable of addressing those needs. The Siak river area is a potential source of water resources greater than 20%. Until now, the Siak river area does not yet have an integrated water resource information system; thus information on the potency of water absorption cannot be adequately recorded. Prediction of water availability in watersheds has significance for the management of a watershed. The research aims to develop a hydrological model to strengthen the water availability information to complete the water availability information. The built model is a combination of a conceptual model with wavelet (hybrid model) that is wavelet-ihacres. The wavelet transform method has the advantage of decomposing and reconstructing the data to produce better predictions. The results showed that the combined wavelet-ihacres have a coefficient correlation between observation data and output model of 0.737. The value is classified as a strong correlation.

## 1 Introduction

Drought and flood events always come every year and occur in various locations. Factors that cause drought are almost the same as causes of flooding, and both have linear dependent behavior. This condition becomes a problem that must be resolved in the framework of water resources management. Management of water resources must be able to provide solutions to water resources problems that include problems concerning supply or availability and issues in terms of use. Thus the management of water resources must pay attention to the potential of existing water resources. The potential of water resources in the management concept is limited by a natural system known as the watershed.

Watershed management with the potential of water resources greater than or equal to 20% of the potential of water resources in the province requires devices that can answer these needs. One of the watersheds that have a potential higher than 20% is the Siak River. Until the Siak River basin does not yet have an integrated water resources information system. So that information about the potential for water deprivation cannot be

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scale resolution. Wavelet transforms divided into two major parts, namely continuous wavelet transformation and discrete wavelet transformation. Continuous wavelet Transformation has a way of working that is to calculate the convolution of a signal with a modulation window at any time with each desired scale. This modulation window that has a flexible range is called a mother wavelet or primary wavelet function. In wavelet transformation, the terms translational and scale are used, because the time and frequency terms have been used by Fourier transform. Translation is the location of the modulation window when shifted along the signal, related to time information. Scale refers to the frequency, high scale (low frequency) is related to global information from a signal, while low scale (high frequency) is related to detailed information. Continuous wavelet can be mathematically defined as follows:

$$\gamma(s, \tau) = \int f(t) \psi_{(s, \tau)}^*(t) dt \quad (1)$$

where  $\gamma(s, \tau)$  = signal function after transformation; with variables  $s$  (scale) and  $\tau$  translation as new dimensions;  $f(t)$  = original signal before transformation;  $\psi_{(s, \tau)}^*(t)$  = basic function of wavelet.

Furthermore, the basic principle of discrete wavelet transformation is how to get a representation of the time and scale of a signal using digital filtering and sub-sampling operations. The form of discrete wavelet transformation can be seen in the following equation:

$$TWD(m, n) = \sum (a_0^m)^{-0.5} f(k) \left[ \frac{\psi(n - ka_0^m)}{a_0^m} \right] \quad (2)$$

where TWD = discrete wavelet transform;  $\psi$  = wavelet function;  $f(k)$  = original signal;  $a_0^m$  = scale constant;  $ka_0^m$  = translation constant;  $k, m$  = integer variable.

## 2.2 IHACRES

The IHACRES model (Identification of the Hydrograph and Component Flow from Rainfall, Evaporation and Stream Flow Data Unit) is the result of collaboration between the Hydrology Institute (HI) in the UK and The Center for Resource and Environmental Studies (CRES) at the Australian National University (ANU) [3].

The concept of the IHACRES model is a simplification of the hydrological process where discharge variable is generated from a variable input of rain and climatological factors. According to Ye et al. [4] for the calculation of effective rainfall in the IHACRES model based on the equation:

$$u_k = [c(\phi_k - l)]^p r_k \quad (3)$$

$$\phi_k = r_k + \left( I - \frac{I}{\tau_k} \right) \phi_{k-1} \quad (4)$$

$$\tau_k = \tau_w \ell^{(0.062 f(t_r - t_k))} \quad (5)$$

where  $u_k$  = effective rain (mm);  $r_k$  = measured rain (mm);  $c$  = mass balance ( $\text{mm}^{-1}$ );  $l$  = the soil moisture threshold index to produce flow;  $p$  = a non-linear time period response.

Parameters  $l$  and  $p$  are only used for temporary watersheds (ephemeral),  $\phi_k$  = soil moisture (mm);  $\tau_k$  = drying rate;  $t_k$  measured temperature ( $^{\circ}\text{C}$ );  $\tau_w$  = drying rate at reference temperature.

According to Sriwongsitanon and Taesombat [4] in linear modules, rainfall is effectively converted into runoff using a linear relationship. Two components influence the flow, namely quick flow and slow flow. Both parts can be connected in parallel or series. It is recommended to use these two components in parallel, except for semi-arid or ephemeral rivers where one component is usually adequate. Parallel configurations of the two components under time conditions  $k$  for fast flow and slow flow combined to produce runoff are presented in the following formula:

$$x_k = x_k^{(q)} + x_k^{(s)} \quad (6)$$

$$x_k^{(q)} = -\alpha_q x_{k-1}^{(q)} + \beta_q u_k \quad (7)$$

$$x_k^{(s)} = -\alpha_s x_{k-1}^{(s)} + \beta_s u_k \quad (8)$$

where  $x_k$  = runoff or discharge (mm);  $x_k^{(q)}$  = fast flow (mm);  $x_k^{(s)}$  = a slow flow (mm),  $\alpha_q$  = the recession number for fast flow,  $\alpha_s$  = the recession number for slow flow;  $\beta_q$  = the peak response for fast flow;  $\beta_s$  = the peak response for slow flow. The dynamic response characteristics for fast and slow flow can be calculated using the following formula:

$$\tau_q = \frac{-\Delta}{\ln(-\alpha_q)} \quad (9)$$

$$\tau_s = \frac{-\Delta}{\ln(-\alpha_s)} \quad (10)$$

with  $\Delta$  = a period of time;  $\tau_q$  = the constant of the fast response time (days);  $\tau_s$  = the slow response time constant (days). Comparison volume for fast flow and slow flow can be calculated using the following equation:

$$v_q = \frac{\beta_q}{1 + \alpha_q} = 1 - v_s = 1 - \frac{\beta_s}{1 + \alpha_s} \quad (11)$$

with  $v_q$  is the comparison volume for fast flow and  $v_s$  is the comparison volume for slow flow.

### 3 Results and discussion

Wavelet transform consists of several families, namely: Haar, Daubechies (db), Coiflets (Coif), Symlets (Sym), Biorthogonal (Bior), Revers Bior (Rbio), Dmeyer (Dmey). Wavelet family types that are suitable for IHACRES modeling are Haar and Bior wavelet families. Pre-process model development which consists of several levels in the process of modification and decomposition. In this study using Haar level 1 and Bior 1.1 level 1 wavelet transformation models. The type of wavelet family model for input to the IHACRES model as follows:

**Table 1.** Type of wavelet transform dan input variable.

Type of wavelet	Level	Input variable
Haar	1	Rainfall (I)
Haar	1	Rainfall (I); Temperature (T)
Haar	1	Rainfall (I); Discharge (Q)
Haar	1	Rainfall (I); Temperature (T); Discharge (Q)

In the model calibration for various schemes the type of wavelet family is obtained the effectiveness of the model as shown in the following Table 2.

**Table 2.** Nash-Sutcliffe value in model calibration.

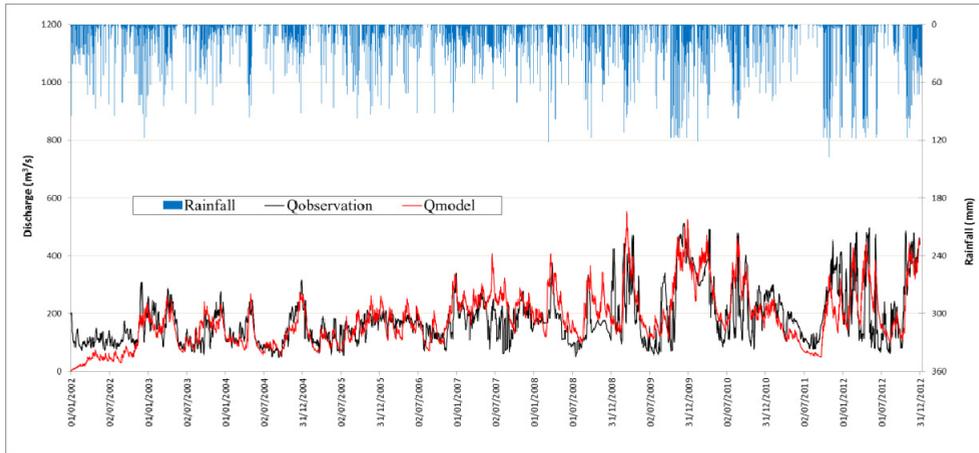
Input variable	Type of wavelet	Nash-Sutcliffe
Rainfall (I)	Haar level 1	0.783
Rainfall (I); Temperature (T)	Haar level 1	0,782
Rainfall (I); Discharge (Q)	Haar level 1	0.787
Rainfall (I); Temperature (T); Discharge (Q)	Haar level 1	0.786

As with Croke et. al. [5], the accuracy evaluation of model using objective functions Nash-Sutcliffe as follows:

$$R^2 = 1 - \frac{\sum(Q_o - Q_m)^2}{\sum(Q_o - \bar{Q}_o)^2} \quad (12)$$

with  $Q_o$  is the observation discharge ( $\text{m}^3/\text{sec}$ ),  $Q_m$  is the calculated discharge ( $\text{m}^3/\text{sec}$ ),  $\bar{Q}_o$  is the average of observation discharge.

Table 2 shows that the best model calibration is obtained for the type of wavelet is Haar level 1, and the input variables are rainfall and discharge. The next step is to verify the results of the model calibration for Haar level 1 wavelet model and input variables are rainfall and discharge. Verification results using the value of the nash-sutcliffe result is 0.447, and the correlation value between the model and observation is 0.737. The criteria of the correlation coefficient in the verification stage are categorized as strong correlations. The hydrograph representation of the wavelet-IHACRES model is shown in Fig. 2.



**Fig. 2.** Hydrograph model and hydrograph observation.

## 4 Conclusions

Based on the study above, it can be concluded as follows. In the verification and simulation phase which gives the best correlation value is the Haar wavelet for input of rainfall and discharge data with a value of 0.674 and a simulation of 0.737. Based on previous research, this hybrid model provides improved performance estimates of the water availability in the Siak River.

## References

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